SUB-MILLIARCSECOND ASTROMETRY WITH PHASE-REFERENCED VI. 131

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Abstract

Astrometric VLBI observations of radio stars are being made to col meet the Hipparcos optical reference frame and the extragalactic radio reference frame. The antennas are switched between a star and a strong, compact reference source a few degrees away every 2-3 minutes. After correlation, the strong reference source fringes are used to determine the exact delay and rate of the weak radio star fringes, allowing the visibilities to be measured and coherently integrated for the duration of the experiment. As a result accurate astrometry has been possible 011 radio stars with flux densities as low as 2 mJy. All five astrometric parameters (two positions, two proper motions, and one parallax) have been obtained for several stars, with formal errors and epoch-to epoch residuals less than 1 milliarcsecond.

1 Introduction

Technical advances in Very Long Baseline Interferometry (VLBI) with the Mark-n] data acquisition system (Rogers et 01., 1983) have provided sufficient sensitivity to reliably detect radio-emitting stars over the last few years. There are about 400 stars that exhibit radio emission as compiled by Wendker (1987). About half of these stars exhibit thermal free-free emission from very large ionized circumstellar envelops that arc fully resolved by VLBI observations. The other stars exhibit non-thermal radio emission (gyrosynchrotron, synchrotron, coherent emission mechanisms) with typical source sizes of a few milliarcseconds (mas) or less. These non-thermal

radio-emitting stars belong to a wide variety of physical classes, e.g. X-ray, RS CVn, Algol, dMe, FK Com, T Tauri. Most of these stars have radio flux densities of only a few milli Jansky (mJy) or less, i.e., 100-1000 times weaker than compact extragalactic radio sources—usually—observed by VLBI. Nevertheless, 30 stars can be detected by phase-referenced VLBI observations and this number—will—grow with future improvements of the technique.

We have selected 11 radio emitting stars with non-thermal emission (7 RSCVn,2 X-ray and 2 Pre-Main-Sequence stars) for a high-accuracy VLBl astrometric monitoring parogram in support of the Hipparcos mission. The motivation of this program is to measure the radio positions and proper motions of radio stars which are optically bright enough to be observed by the Hipparcos satellite. This will allow us link the future Hipparcos optical reference frame to an extragalactic quasi-inertial reference system (Lestrade et al., 1992).

2 Phase-Referenced VLBI

The coherence time in standard VLBI is limited to less than ~ 15 minutes at centim eter waveleng this by the independent frequency standards at the different antennas. Consequently, the observed radio source must have a flux density high enough to be detected during a similar integration time. At the VLBI processor, the cross-correlation of the recorded signals leads to the measurement of the amplitude and phase of the complex visibility induced by the Sourer brightness distribution convolved with the beam of the antenna pair for the duration of each integration period.

When a radio source is so weak that it cannot be detected within a few minutes, one has to resort to the phase-referencing VLBI technique. This allows multiple scans to be combined in a single coherent integration period, as we have demonstrated by our Hipparcos-related VLBI astrometric program. A reference for the VLBI phase must be established by observing an angularly nearby strong extragalactic source alternately with the weak program source using a switching time of 2-3 minutes (less than the coherence time). Such a phase-referencing technique allows increased sensitivity through use of much longer integration times (several hours) with minimum coherence loss. This strategy also allows high-accuracy differential astrometry because the prime observable used is the VLB I phase. The phase-referencing VLBI technique as applied in our radio star astrometry program is described in detail in Lestrade et [7]. (1990).

3 VLBI Observations of the Radio Star σ^2 CrB

σ² CrB is an RS CVn close binary whose orbital motion has a period of 1.1 day and a semimajor axis of 0.3 mas (BARDEN, 1985). Phase referenced VLB] observations of 0² CrB were conducted at 1 2 epochs between May 1987 and August 1992. '1' lime epochs are listed in Table 1.

TABLE 1 VLBI Observations of σ^2 CrB at 12 Epochs

Obser. Date	Orbital phase (cycle)	Frequency (GHz)	Flux density (mJy)
87/05/?6	0.56	.5.0	10
88/11/16 89/04/1 3	0.25	$\frac{5.0}{5.0}$	28 7
90/04/?1 90/11/16	$0.53 \\ 0.37$	$\frac{8.4}{5.0}$	$\frac{6}{3.8}$
91/04/12 91/09/14		8.4 5.0	$\begin{array}{c} 19.5 \\ 4.3 \end{array}$
92/01/15 92/04/05	0.88	8.4 8.4	4.6 1s
92/04/22	0.76	8.4	6
92/06/0s 92/08/03		5.0 8.4	$\begin{array}{c} 13 \\ 8.3 \end{array}$

The total data integration times were between 5 and 8 hours at, each epoch. The Mark-III VLBI data acquisition system was used to record a bandwidth of 28 MHz (R OGERS et al., 1983); the corresponding detection till'mllol(l is about 2 mJy (1(10). Cross-correlation of the recorded signals was carried out on the Mark-III VLBI processor at till? Haystack Observatory.

The 5 astrometric parameters of σ^2 CrB (2 coordinates, 2 proper motion components, and parallax) were estimated by a least squares fit to the 24 coordinates measured at the 12 epochs. The uncertainties of the measured VLBI coordinates were set to 0.2 mas to make the reduced- χ^2 close to unity for the number of degrees of freedomin the fit (19). The weightedrms of the post-fit coordinate residuals is ().'2 mas. With such an adjustment, the formal uncertainties for the 5 fitted parameters are 0.08 mas for the relative position between σ^2 CrB and the reference source 1611-1343,0.04 mas/year for the proper motion, and 0.08 mas for the trigonometric parallax. The correlation matrix indicates that the 5 parameters are well separated.

The number of degree of freedom (19) is high enough to make the statistical significance of the formal uncertainties reliable. Various tests have

been made for the robustness of the solution. One test has been to make two separate astrometric solutions, one with the first 6 epochs and one with the last 6 epochs of observations. 'J'able 11 below indicates the parameter differences between the two Solutions.

TABLE II Differences Between Two Astrometric Solutions

Paramete	r Differences	σ , $\sqrt{\sigma_1^2 + \sigma_2^2}$
'A α	-10.18 mas	1.00
$\Delta \delta$	$-0.32\mathrm{mas}$	1.5σ
$\Delta\mu_{\alpha} \ \Delta\mu_{\delta}$	-10.02 mas/yr	0.2σ
$\Delta\mu_{\delta}$	-0.14 mas/yr	1.50
An	$0.01~\mathrm{mas}$	0.10

Also, the 5 astrometric parameters of σ^2 CrB determined by VLBI match, within uncertainties, the best (but less precise) optical determinations.

41mplications fen' Planets Orbiting σ^2 CrB

The lack of a sinusoidal signature in the post-fit coordinates residuals sets a limit on the presence of planets around σ^2 CrB. The rms of these post-fit residuals (0.2 mas) can be taken as an upper limit on any systematic departure from linear motion for the star. Interestingly, the present accuracy of our VLBI measurement corresponds exactly to the detection threshold for a Jupiter-like planet around σ^2 CrB when 12 years of data have been collected

This interpretation is optimistic since Black and Scargle (1982) note that the fitted linear proper motion absorbs part of the planetary perturbation. These authors show that with observations sampling a single orbital period, the amplitude of the planetary perturbation is underestimated by as much as 47%. However, if the classical model (position, proper motion and trigonometric parallax) is complemented by a sinusoidal function and the a priori values for the amplitude, period and phase chosen to cover a large volume of the parameter space, 110 absorption of the planetary perturbation would occur and the 3 additional parameters can be fitted.

The location and stability of the radio centroid within the spectrocopic binary is a crucial question. There is no detailed model of the radio emitting

region that can be used to derive this stability. I timust be determined observationally and the rms of our post-fit coordinate residuals (0.2 mas or $1R_{\odot}$ at σ^2 CrB) can also be interpreted as a measure of this stability. If the radio emission is coincident with one of the stars as expected, then the astrometric error induced by its motion around the other star could be reduced dramatically by solving for the binary motion. We have confirmed that the radio emission is indeed associated with a single star in the Algol system (LESTRADE ϵt al., 1993).

5 Future VLBI Astrometric Observations

As a by-product of our Hipparcos program, we have demonstrated that phase-referenced VLBI observations of the radio star σ^2 CrB can achieve an astrometric precision of ().2 mas (post-fit position residuals). Similar results have been obtained for the other stars of our Hipparcos program but with an astrometric precision 3 to 5 times larger. The best result is for σ^2 CrB because the angular separation between this star and the reference source used is the smallest (().50).

The theoretical astrometric precision (SNR-limited) for phase-referenced interferometry is

$$\sigma_{\alpha,\delta} := \frac{1}{2\pi} \frac{1}{\text{SNR}} \frac{\lambda}{B} \tag{1}$$

(Thompson, Moran and Swenson, 1986). For our observations, $\sigma_{\alpha,\delta}$ is < 26 microarcseconds with B = 3000 km, $\lambda = 3.6$ cm, and SNR > 15.

The astrometric precision achieved for σ^2 CrB is several times the SNR-limited precision calculated above. There are at least four systematic error sources that prevent current observations from reaching this ultimate precision: 1) the extrapolation of the reference source VLB1 phase in beam-switched observations to the time of the star observation, 2) the differential contribution of the atmosphere and ionosphere along the lines of sight to the reference source and target star, 3) the radio morphology of the reference source and, possibly, of the star, and 4) the orbital motion of the subgiant star (in binary systems). During the next 1-2 years, we intend to study the best approach to reducing these systematic errors. Our current effork include faster antenna switching, improved ionosphere and troposphere models, finding closer reference sources, mapping reference source structure, and the inclusion of orbital motions in our astrometric fits.

6 summary

Over the next two years, we plan to use one star, σ^2 CrB, as a test)-1)d to reduce the present systematic errors in our astrometric measurements and, possibly, reach the SNR-limited precision of 20-30 microarcseconds on US-continental baselines. The sensitive Deep Space Network 70-mantenna at Goldstone along with the continental US VL BA and enhas will provide a relatively continuous range of baselines from 1000 to 4000" kmwhich correspond exactly to the angular resolution required for the RS CVn radio stars we observe. In addition, future improvements in sensitivity due to the construction of the Green Bank Telescope and the development of wider bandwidth data recording systems (e. g. Mark-IV) will allow a much larger sample of radio stars (and other weak radio so urces) to be observed routinely with VLBI.

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